Securing Transactions with the eIDAS Protocols

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Abstract. The proposed European system for electronic identities, authentication, and trust services (eIDAS) enables remote authentication of an identity card (and selected data of the card) to an eID service. The core system has already been running on the German identity card since 2010. We analyze an extension proposed by Bundesdruckerei that enables the protocol to authenticate further transaction data such as phone numbers or PGP keys. In particular we prove cryptographically that the extension provides strong authenticity guarantees. We also discuss privacy aspects of the solution, preventing the card and the service provider of the eIDAS system to learn the actual transaction data.

1 Introduction

With Regulation EU No 910/2014 about electronic identification, authentication, and trust services for electronic transactions (eIDAS) in 2014, the European parliament has paved the way for a common electronic identity system for Europe. Driven by German and French IT security offices, namely BSI and ANSSI, the first technical proposal for such eIDAS tokens has been put forward in [2] in February 2015. The proposal extends a previous specification for the new German identity cards [1], and as the cards have been issued since November 2010, this means that the basic eIDAS system proposal is already effectively running at this point.

1.1 The Basic eIDAS System

The system of the German identity card adopted early the idea to use the identity card securely for internet services. The basic steps of the protocol are outlined in Figure 1. The identity card is securely connected to a local card reader at the user's computer via the password-authenticated connection establishment (PACE) protocol. The reader itself is equipped with a small tamper-proof display and is connected (through an application interface on the user's computer) with a service running the eID server. The connection from the computer to the server may be secured through TLS.

The ID card and the eID server then execute the extended access control (EAC) protocol which consists of a terminal authentication (TA) and a chip authentication (CA). In the TA step the eID server authenticates and transmits the credentials for accessing some fields on the ID card, such as for age verification

or the address. The human user confirms access to the fields via the reader, by verifying the request on the reader's display. Then the card authenticates itself and the requested data through the CA step.

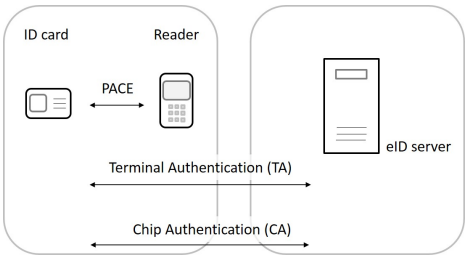

Fig. 1. Extended Access Control (EAC) for online services, consisting of the terminal authentication (TA) step and the chip authentication (CA) step.

1.2 Securing Transactions through the eID System

Based on a proposal by Bundesdruckerei [3], we discuss how to use the German identity card system (and consequently, the anticipated European eIDAS system) to secure further transaction data. As an example assume that the eID system is used in an online banking service, and that the bank would also like to authenticate the mobile phone number of the user (e.g., for establishing a reliable communication channel for authentication of bank transactions). This phone number is not present on the identity card and thus cannot, per se, be authenticated through the eID system.

The idea of building a transaction system on top of the eID system is to use the auxiliary-data field, originally provisioned for refinements in the data authentication (e.g., the eID server has to commit to the current date for age verification). In order to show that one can securely use this entry for authenticating data like the phone number one needs to show that (a) the solution really validates the transaction, and that (b) it is indeed possible to smoothly extend the existing system to incorporate such checks. The feasibility has already been reported in [3], and we briefly revisit the details at the end of the work, such that it remains to show that the scheme is indeed secure.

We therefore first present a cryptographic description of the transaction system of Bundesdruckerei, called eIDAS transaction system here. The idea is depicted in Figure 2 and consists of the following steps. (1) The card holder and the service provider first agree upon the transaction T. (2) Then the service provider initiates the eID server for a hash value $\mathsf{H}(\mathsf{T})$ of the transaction. (3) The card holder also forwards the transaction in clear to the reader. (4) The original eID components run the TA step, including $\mathsf{H}(\mathsf{T})$ as auxiliary data. (5) The reader

verifies T against $\mathsf{H}(\mathsf{T})$, and the user verifies the transaction via the reader's display. (6) To approve the transaction the user initiates chip authentication. (7) The eID server reports back approval of the transaction if chip authentication terminates successfully.

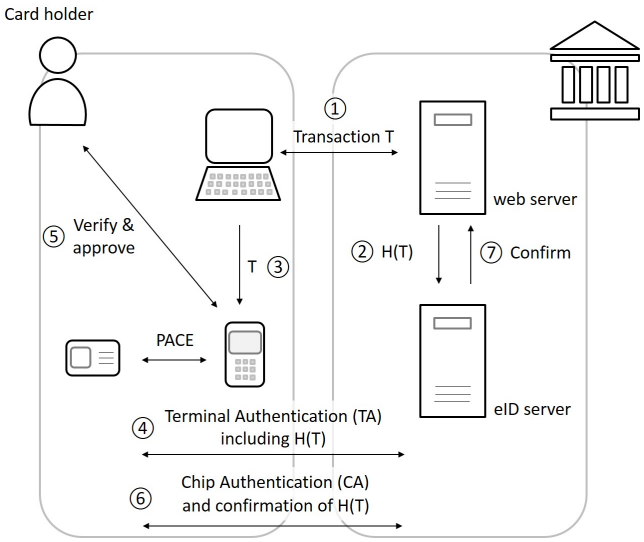

Fig. 2. The eIDAS transaction system

Our contribution is to put the security of the eIDAS transaction system on formal grounds. To this end we first discuss a security model which ensures that a transaction system satisfying the requirements in the model provides strong authenticity properties of transactions. The model basically guarantees that both parties, card holder and service provider, can have confidence that they agree on the same transaction with the intended partner in a certain session. By this the security model captures for example replay attacks or cloning of transactions across executions, such that the secure transaction system remains immune against such attacks.

An extra feature of the eIDAS transaction system is that the transaction data can be hidden from the underlying eID service. That is, instead of passing the transaction in clear to the service, one can forward a hashed (or committed) version to the service. Our other contribution is to analyze, too, the privacy guarantees given through such a step formally.

We note again that [3] presents an implementation of the above protocol which requires only minor modifications on the reader's side, but is otherwise based on the existing software and hardware for the German identity card. We report on this briefly in Section 5.

1.3 Related Work

Since we model transactions as digital data, the authenticity problem of transaction systems at the core resembles the authenticity problem in secure channels. Therefore, it is no surprise that previous approaches for modeling secure channels such as [4,9,17,16] can serve as a starting point to model security for the transaction system. There are, nonetheless, significant differences.

On one hand, we face a simpler problem in the sense that transactions are atomic and we do not have to deal for example with the order of channel transmissions. On the other hand, a transaction in our sense should be authenticated *mutually*: both parties should be ensured that the transaction is authentic. In contrast, most channel protocols and models consider unidirectional message transfers, where the message is sent and authenticated by one party only. This in principle allows for mutual authentication by "mirroring" the message back.

In fact, a secure transaction system could be implemented straightforwardly in principle via signatures: have both parties exchange nonces and then have each party sign the transaction and the nonces under its certified key. The nonces would prevent replay attacks. The point of the solution in [3], however, is to build upon an existing system with reliable hardware components such as the identity card and the card reader, *without or with minimal* interference with the underlying system.

The protocols of the German identity card and (some of) the eIDAS extensions have been analyzed in a series of works [7,11,15,10,5,6,13,8,12]. In fact, supporting the protocols by security arguments in form of cryptographic proofs has been a key point in the marketing strategy. We do not directly rely on these results, but we draw on the EAC analysis in [11] for showing that the CA ensures transaction authenticity for the service provider.

2 The eIDAS transaction system

We first define transaction systems abstractly, and then present the eIDAS transaction system of Bundesdruckerei in our notation.

2.1 Transaction Systems

A *transaction system* $\mathcal{TS}$ is given by an interactive protocol between one type of parties, called card holders (or clients) and another type of parties, denoted as service providers (or servers). This is formally specified through a pair of (stateful) algorithms $\Pi_{\mathcal{C}}, \Pi_{\mathcal{S}}$ which describe the next message the corresponding party sends upon receiving a message from the other partner. In addition to the interactive protocol the system also comprises key generation algorithms $\mathsf{KG}_{\mathcal{C}}$ and $\mathsf{KG}_{\mathcal{S}}$ for both types of parties. The key generation algorithms generate key pairs (sk, pk) for the corresponding party, together with a certificate *cert*.

We assume uniqueness of the certificates and it is convenient to view some unique identifier in a certificate, such as the serial number, as the party's (administrative) identity id. We often use *cert* interchangeably as the identifier id.

The certification process is prepared by a general Setup algorithm which creates public parameters such as the root key pk_{CVCA} for verification of certificate chains, as well as secret parameters for certificate generation, typically signing keys.

The interactive protocol execution between a card holder and service provider starts with both parties receiving their keys and certificate as input. Both parties also get the public data of the Setup algorithm as additional input. Each party usually also receives a transaction T as input which it tries to authenticate. A party may abort the execution at any time; it may also accept and terminate. We assume the usual completeness requirement that, if running on genuine parameters and the same transaction, both parties accept.

A *preportioned* transaction system does not hand over the transaction T to the parties in clear. Instead, it uses another algorithm H (as a mnemonic for a hash function) to first compute $\mathsf{H}(\mathsf{T})$ before handing the value to the party. The parameters of this algorithm can be specified through the Setup algorithm, and it may be even be a probabilistic algorithm: $\mathsf{H}(\mathsf{T}; r)$ for random string r.[3] We nonetheless often simply refer to $\mathsf{H}(\mathsf{T})$ instead of $\mathsf{H}(\mathsf{T}; r)$, as the difference becomes relevant only for the privacy setting. Note that the actual transaction system can then only ensure validity of $\mathsf{H}(\mathsf{T})$ and that this extends to T must be checked by some other mean, e.g., as in the eIDAS transaction system providing the card reader also with T, r and having it check these values against the hash value used in the underlying transaction system.

2.2 The eIDAS transaction system

The eIDAS transaction system basically consists of the EAC system where we use the auxiliary data field A_T to transport the (hidden) transaction $\mathsf{H}(\mathsf{T})$. Since our goal is to build upon the existing scheme, we do not argue about the specific choices of the EAC system here but instead refer to [1,2] for information about the design ratio. In more detail, both parties first execute the so-called Terminal Authentication (TA) steps of the extended access control.[4] In this step, the terminal picks a fresh ephemeral key pair (esk_T, epk_T) for the domain parameters D_C describing the elliptic curve, sends over its certificate for the long-term key pk_T (which is also included in $cert_T$) and a compressed version $\mathrm{Compr}(epk_T)$ of the ephemeral public key. The compression function can be for example the projection onto the x-coordinate of the elliptic curve point. For our analysis we merely assume that Compr is R-regular, meaning that each image has exactly R pre-images.

[3] In combination with the yet-to-be-specified security properties this makes the algorithm rather a commitment algorithm but which, in turn, can be implemented via a hash function.

[4] We skip the card holder's internal execution of the PACE protocol and assume a trustworthy reader and a secure connection between ID card and reader. This is justified by the fact that PACE has been shown to be a secure password-authenticated key exchange protocol [7] and that we anyhow require a trustworthy display for the user to check the transaction in clear.

The chip replies with a random nonce r_C and the terminal then signs this nonce, together with $\mathrm{Compr}(epk_T)$. In this step, the eID server of the service provider augments the signature step by the hash value $\mathsf{H}(\mathsf{T})$ it has received from the web server. This assumes that the forwarding of $\mathsf{H}(\mathsf{T})$ to the eID server is carried out securely; else it is easy to replace the otherwise unprotected transaction T in the communication with the card holder. Note that in the TA protocol both parties also use some chip identifier id_C, not to be confused with our administrative identifier id, for signature generation and verification. Since this value is irrelevant for our security analysis we do not comment further on this value. The chip finally verifies the signature.

Upon successful completion of the TA step, the reader verifies that the given transaction T matches the augmented data $\mathsf{H}(\mathsf{T})$ from the TA step and then displays the transaction to the user. Upon confirmation of the user, the reader initiates the Chip Authentication (CA) step between the card and the eID server. In this step the chip sends its certificate $cert_C$ and public key pk_C, and the terminal replies with its ephemeral public key epk_T (in clear).

Finally, both parties compute the Diffie-Hellman key of pk_C and epk_T with the corresponding secret key they hold, and derive an encryption key K_{enc} (which is irrelevant here) and the MAC key K_{mac} with the help of the corresponding key derivation functions $\mathsf{KDF}_{\mathsf{Enc}}$ and $\mathsf{KDF}_{\mathcal{M}}$. This step again involves a random nonce r'_C of the chip. The chip computes the MAC over epk_T and sends it to the terminal. If this phase is completed successfully then the eID server reports to the web server that the transaction has been confirmed. This, again, must be done in a secure way.

The protocol details of the TA and CA phase are depicted in Figure 3. For administrative purposes in light of the security model it is convenient to also specify a point in time in the execution in which a session identifier sid is set. This session identifier can be thought of as a quasi unique, purely administrative value, although the parties can determine the identifier easily themselves. Note that both parties output the identifier sid at different points of the execution, due to the sequential order of the authentication steps.

Analogously, we let the protocol specify a partner identifier, pid, which should represent the identity of the intended partner. Since we assume a one-to-one correspondence between certificates and administrative identities, we extract the correct identity out of the certificate. Completeness requires that both session identifier and partner identifier are set upon acceptance, that session identifiers are identical for both parties in genuine executions, and that the partner identifiers correctly point to the corresponding parties.

3 Unforgeability of Transactions

In this section we provide our security analysis of the eIDAS transaction system. For this we first introduce a demanding security model for unforgeability, then we discuss that the eIDAS transaction system achieves this property.

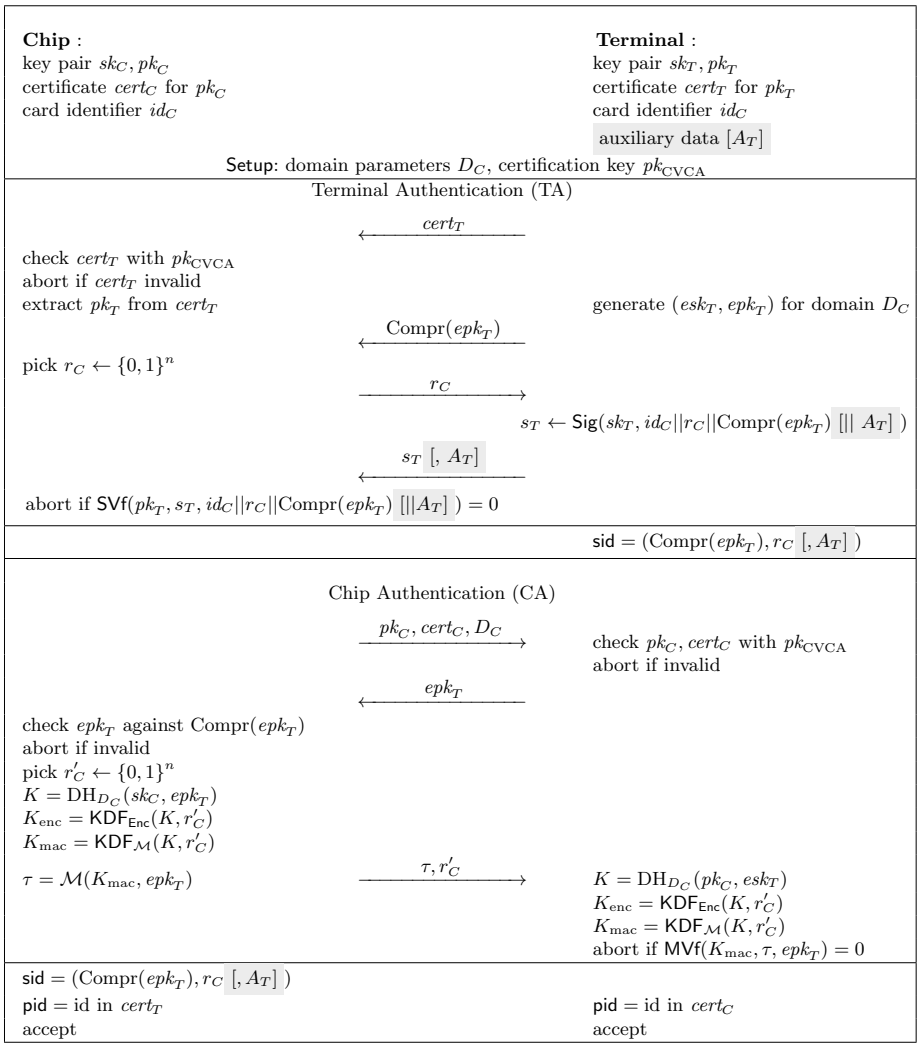

Fig. 3. EAC protocol, consisting of Terminal Authentication (TA) and Chip Authentication (CA). All operations are modulo q resp. over the elliptic curve. The gray part shows the (in EAC optional) auxiliary data field, which we deploy here for securing the transaction.

3.1 Defining Unforgeability

Attack Model. We assume that all parties, divided exclusively into card holders from set $\mathcal{C}$ and service providers from a set $\mathcal{S}$, receive their (certified) key pairs as initial input at the outset of the attack. We furthermore presume security of the certification in the sense that parties will only accept certified keys. This

follows from the unforgeability of the underlying signature scheme used to create certificate, or even certificate chains, but we omit this here for sake of simplicity.

In the attack model the network is fully controlled by the adversary, implying that the adversary decides when to deliver messages to sessions and if to modify transmissions or even to inject new messages. We even assume that the adversary decides when to start new sessions at either party, possibly as a pair of synchronized sessions for the same transaction. Formally, this is captures by giving the adversary access to the following oracles:

- INIT: The adversary can initiate new card holder or service provider sessions by calling $\text{INIT}(\text{id}, \mathsf{T})$ for some identity $\text{id} \in \mathcal{C} \cup \mathcal{S}$ and some chosen transaction T. Upon such a call we spawn a new session of the party for transaction T (and possibly a freshly chosen random string r in case of probabilistic hash functions) and assign it a unique label ℓ for administrative purposes. The label ℓ is returned to the adversary and we write $\ell \leftarrow \text{INIT}(\text{id}, \mathsf{T})$.
  In the case of a probabilistic hash function we need to give the adversary the ability to initiate sessions with the same random value r. Hence, slightly overloading the notation we allow the adversary to also pass triples $(\text{id}, \text{id}', \mathsf{T})$ to the INIT oracle for $\text{id} \in \mathcal{C}$ and $\text{id}' \in \mathcal{S}$, upon which the oracle initializes a new session for card holder id as well as a new session for service provider id'. This time, however, each protocol party receives the same random string r as additional input. The adversary receives both labels (ℓ, ℓ') of the two sessions.
- SEND: The adversary can send any protocol message m to a session with label ℓ via the $\text{SEND}(\ell, m)$ command. If the session has not been initialized before, then oracle immediately returns $\perp$. Else, it makes the corresponding party compute the next protocol message and this message is returned to the adversary (potentially also returning $\perp$ to express rejection). In case the execution is successfully completed, the adversary is informed that the party has accepted. From then on, we assume that the adversary no longer sends commands to that session.
- CORRUPT: The adversary can corrupt a party with identity id via the command $\text{CORRUPT}(\text{id})$. It receives the party's secret key in return, as well as all internal states of running sessions, and we put id in the (initially empty) set $\mathsf{Corrupt}$ of corrupt parties. From now on, we assume that the adversary does not send further commands to that session.

It is often convenient to augment the session identifier sid, output by the execution of some honest party, by the transaction T it has been initialized with. In this case we write $\mathsf{tsid} = (\mathsf{T}, \mathsf{sid})$ for the augmented identifier (but omitting the random string r potentially used for computing the probabilistic hash value).

We also use the following self-explanatory notation. We write $\mathsf{TSID}(\ell)$ for the value tsid of the session with label ℓ, where potentially $\mathsf{TSID}(\ell) = \perp$ if the session identifier has not been set by the session yet. Analogously, we write $\mathsf{ACC}(\ell)$ for the acceptance status of the session (`true` or `false`), $\mathsf{ID}(\ell)$ for the identity id of the session owner, and $\mathsf{PID}(\ell)$ for the intended partner pid, possibly $\mathsf{pid} = \perp$ at this point.

Session-definite unforgeability. We define a very strong notion of unforgeability: if some (honest) card holder accepts a transaction in some execution, then there must be an execution in which a service provider has issued that transaction. Furthermore, this execution of the service provider points to a single card-holder session only. Note that this straightforwardly implies other desirable notions of unforgeability, such as plain unforgeability—if a card holder accepts some transaction then it must have been issued by some service provider—or replay resistance—that no card holder accepts a transaction twice. The latter follows from the fact that there is a one-to-one correspondence between service-provider sessions and card-holder sessions. We call our notion *session-definite unforgeability.*

More formally, we say that the adversary $\mathcal{A}$ wins the session-definite unforgeability game in Figure 4 if during the execution an honest card-holder party $\mathsf{id} \in \mathcal{C} \setminus \mathsf{Corrupt}$ *accepts* a transaction T under some session identifier tsid but such that there the partner id pid is not pointing to a corrupt provider and that provider has not set their local identifier to sid at that point. The latter corresponds to the fact that the service provider has issued the transaction. By symmetry, we demand the same for accepting sessions of honest service providers, i.e., that there must be a corresponding card-holder session.

Experiment $\mathsf{SessUnf}_{\mathcal{A}}^{\mathcal{T},\mathcal{S}}(n)$

1 : **foreach** $i \in \mathcal{C} \cup \mathcal{S}$ **do**
2 : **if** $i \in \mathcal{C}$ **then** $(sk_i, pk_i, cert_i) \leftarrow \mathsf{KG}_{\mathcal{C}}(1^n)$ **fi**
3 : **if** $i \in \mathcal{S}$ **then** $(sk_i, pk_i, cert_i) \leftarrow \mathsf{KG}_{\mathcal{S}}(1^n)$ **fi**
4 : **endforeach**
5 : $pks \leftarrow \{(pk_i, cert_i) \mid i \in \mathcal{C} \cup \mathcal{S}\}$
6 : $\mathcal{A}^{\textsc{Init}(\cdot,\cdot),\textsc{Send}(\cdot,\cdot),\textsc{Corrupt}(\cdot)}(1^n, pks)$
7 : $b \leftarrow \mathsf{SessUnfPred}$ // evaluate predicate SessUnfPred on execution state
8 : **return** $\overline{b}$ // where $\overline{b} = \mathrm{NOT}(b)$

Fig. 4. Session-definite unforgeabilty of transaction system.

In addition, we assume that session identifiers only appear in matching pairs on the sides. This implies that there cannot be session-identifier collisions on the card-holder side, nor on the service-provider side. This also means that it suffices to demand for the first property above that every accepting session has a matching partner; together with collision-freeness of session identifiers on one side the matching session must be on the other party's side. The formal predicate capturing these requirements is depicted in Figure 5 and called as a subroutine in the attack game.

Definition 1 (Session-definite unforgeability). *A transaction system $\mathcal{TS}$ is session-definite unforgeable if for any efficient adversary $\mathcal{A}$ we have that*

$$\mathrm{Prob}\Big[\mathit{SessUnf}_{\mathcal{A}}^{\mathcal{TS}}(n) = 1\Big] \approx 0$$

is negligible.

Note that we let the adversary $\mathcal{A}$ decide when to stop the execution and to start evaluating the predicate. Hence, if it is advantageous and the adversary already detects a winning situation, it may end the execution immediately (instead of messing up the winning state by, say, corrupting another party). In our case this is easy to spot since all the data required to evaluate the predicate are known to the adversary.

Predicate $\mathsf{SessUnfPred}$ on execution state

$p \leftarrow \mathtt{true}$
// any accepting party must have honest partner with same tsid (or corrupt partner)
foreach $\ell \in \{\ell \mid \mathsf{ACC}(\ell) = \mathtt{true} \wedge \mathsf{ID}(\ell) \notin \mathsf{Corrupt}\}$ **do**
  $p \leftarrow p \wedge [\mathsf{PID}(\ell) \in \mathsf{Corrupt}$
    $\vee\ \exists \ell' \neq \ell : (\mathsf{TSID}(\ell') = \mathsf{TSID}(\ell) \neq \bot \wedge \mathsf{PID}(\ell) = \mathsf{ID}(\ell'))]$
endforeach
// Collisions among identifiers only between opposite partners
foreach $(\ell, \ell') \in \big\{(\ell, \ell') | \ell \neq \ell' \wedge \mathsf{ID}(\ell), \mathsf{ID}(\ell') \notin \mathsf{Corrupt}$
    $\wedge \mathsf{TSID}(\ell) = \mathsf{TSID}(\ell') \neq \bot\big\}$ **do**
  $p \leftarrow p \wedge [(\mathsf{ID}(\ell), \mathsf{ID}(\ell')) \in \mathcal{C} \times \mathcal{S} \cup \mathcal{S} \times \mathcal{C}]$
endforeach
return p // where we identify $\mathtt{true} = 1$ and $\mathtt{false} = 0$

Fig. 5. Security predicate $\mathsf{SessUnfPred}$ for session-definite unforgeability

3.2 Security of the eIDAS transaction system

Before proving the eIDAS transaction system unforgeable we need to make some assumptions about the underlying cryptographic primitives. As in [11] we model the key derivation function $\mathsf{KDF}_{\mathcal{M}}$ as a random oracle. We furthermore assume that the H function used to hide the actual transaction is collision-resistance in the sense that the probability $\mathbf{Adv}^{\mathrm{coll}}_{\mathcal{B},\mathsf{H}}(n)$ of $\mathcal{B}$ outputting such a collision is negligible for every efficient adversary $\mathcal{B}$.

We also assume that forging signatures is infeasible, i.e., for any efficient adversary $\mathcal{B}$ the probability $\mathbf{Adv}^{\mathrm{unf}}_{\mathcal{B},\mathcal{SIG}}(n)$ of breaking the terminal's signature scheme given through $\mathcal{SIG} = (\mathsf{KG}_{\mathcal{S}}, \mathsf{Sig}, \mathsf{SVf})$ in an adaptive chosen-message

attack (see [14] for a formal definition) is negligible. We analogously demand that forging MACs for the scheme given through $\mathcal{MAC} = (\mathsf{KDF}_{\mathcal{M}}, \mathsf{MAC}, \mathsf{MVf})$ is infeasible, i.e., $\mathbf{Adv}^{\mathrm{unf}}_{\mathcal{B},\mathcal{MAC}}(n)$ is negligible for any efficient adversary $\mathcal{B}$ against the MAC scheme.

Finally, as in [11] we assume that the Gap-Diffie-Hellman problem in the group specified by D_C is hard. That is, consider an efficient adversary $\mathcal{B}$ which receives (in multiplicative notation) g^a, g^b for generator g and hidden random a, b and which gets access to an oracle which for adversarially chosen group elements Y, Z verifies for the adversary whether $Y^a = Z$ or not. The adversary's task it to output $\mathrm{DH}(g^a, g^b) = g^{ab}$. We now require that for no efficient adversary the probability $\mathbf{Adv}^{\mathrm{GapDH}}_{\mathcal{B},D_C}(n)$ of computing that DH value is negligible.

Theorem 1 (Session-definite Unforgeability). *The eIDAS transaction system in Section 2 is session-definite unforgeable in the random oracle model, assuming collision resistance of* H*, unforgeability of the signature and MAC scheme, and the GapDH assumption. More precisely, for any efficient adversary* $\mathcal{A}$ *there exists efficient adversaries* $\mathcal{B}_1, \mathcal{B}_2, \mathcal{B}_3, \mathcal{B}_4$ *such that*

$$\mathrm{Prob}\left[\mathsf{SessUnf}^{\mathcal{TS}}_{\mathcal{A}}(n) = 1\right] \leq \binom{s}{2} \cdot \left(2^{-n} + \tfrac{R}{q}\right) + \boldsymbol{Adv}^{coll}_{\mathcal{B}_1,\mathsf{H}}(n) + S \cdot \boldsymbol{Adv}^{unf}_{\mathcal{B}_2,\mathcal{SIG}}(n) + S \cdot \boldsymbol{Adv}^{unf}_{\mathcal{B}_3,\mathcal{MAC}}(n) + C \cdot S \cdot \boldsymbol{Adv}^{GapDH}_{\mathcal{B}_4,D_C}(n)$$

where we assume that Compr is a R-regular function, q is the group size specified by D_C*, the adversary initiates at most s sessions, and there are at most C cards and S service providers.*

Moreover, adversaries $\mathcal{B}_1, \ldots, \mathcal{B}_4$ have roughly the same running time $\mathcal{A}$ plus the time to carry out the other steps in the experiment.

Proof (Sketch). We given the proof only for the case of a deterministic hash $\mathsf{H}(\mathsf{T})$ and single initializations through Init; for probabilistic hashes and synchronous initializations the proof can be adapted easily.

Assume that an adversary $\mathcal{A}$ mounts an attack against session-definite unforgeability. In order to win the adversary must either create a collision in two honest card-holder sessions, or in two honest service-provider sessions, or make one of the two types of parties accept such that there is no matching session (with a party of the other type, either corrupt or not having the same tsid).

The idea of ruling out the above attack possibility is that: sessions among honest card holders or among honest service providers do not collide because each session identifier sid contains fresh random values r_C resp. epk_T of both sides. The other property follows since the adversary, unless it forges signatures, cannot make a card holder accept without having an honest provider sign and output the session identifier sid. Since the session identifier includes the collision-resistant hash of transaction T this argument extends to the fully augmented identifiers tsid, as required by the security definition.

The final step is to note that, analogously to the signature case, an adversary making an honest provider accept without having an honest card-holder partner

also requires the adversary to forge MACs. The latter argument is a bit more involved, but can be seen to follow from the proof that TA together CA is a secure key exchange protocol [11]. This is the step where we also use the Gap-Diffie-Hellman assumption. The full proof is omitted for space reasons. □

4 Transaction Privacy

Analogous to the case of unforgeability we first describe the general security requirements and then discuss that the eIDAS transaction system meets these requirements.

4.1 Defining Privacy

Transaction privacy refers to the inability for the eID service to determine the transaction, even though it operates on the hash value. We use an indistinguishability-based approach here in which a privacy-adversary can initiate (multiple) executions on a random choice of one of two adversarially-chosen transactions $\mathsf{T}_0, \mathsf{T}_1$. This of course assumes that transactions are augmented by sufficient entropy, or else the adversary can easily determine the choice of the transaction used in the hash value.

The attack model is as in case of unforgeability. The only difference is now that the adversary now also gets a challenge oracle CHALL, which is initialized with a secret bit $b \leftarrow \{0,1\}$. If called about identities $\mathrm{id} \in \mathcal{C}$, $\mathrm{id}' \in \mathcal{S}$, as well as two transactions $\mathsf{T}_0, \mathsf{T}_1$, then the challenge oracle executes $\ell \leftarrow \textsc{Init}(\mathrm{id}, \mathrm{id}', \mathsf{T}_b)$ to initialize both parties, and it returns the session lables (ℓ, ℓ') to the adversary. From then on the adversary can communicate with the card-holder and service provider sessions via the SEND oracle for the corresponding label (and in particular learn the hashed transaction). The adversary eventually should predict the bit b.

We next define privacy with the experiment in Figure 6.

Definition 2 (Transaction Privacy). *A transaction system $\mathcal{TS}$ is transaction private if for any efficient adversary $\mathcal{A}$ we have that*

$$\mathrm{Prob}\left[\mathsf{TPriv}_{\mathcal{A}}^{\mathcal{TS}}(n) = 1\right] \leq \tfrac{1}{2} + \mathit{negl}(n)$$

is negligibly close to $\frac{1}{2}$.

Conceivably, any transaction-private system needs to be preportioned.

4.2 Privacy of the eIDAS transaction system

The privacy of the eIDAS transaction system now relies on the hiding property of the hash function, namely, that the probability of being able to distinguish $\mathsf{H}(\mathsf{T}_0, r_0)$ from $\mathsf{H}(\mathsf{T}_1, r_1)$ for chosen $\mathsf{T}_0, \mathsf{T}_1$ and random r_0, r_1 is infeasible for any efficient adversary $\mathcal{B}$. We note that this is straightforward to formalize in terms of the hiding property of commitment schemes (see again [14]), such that for the advantage $\mathbf{Adv}^{\mathrm{hide}}_{\mathcal{B},\mathsf{H}}(n)$ distinguishing the two cases it holds:

Experiment $\mathsf{TPriv}_{\mathcal{A}}^{\mathcal{TS}}(n)$

$b \leftarrow \{0,1\}$
foreach $i \in \mathcal{C} \cup \mathcal{S}$ **do**
  if $i \in \mathcal{C}$ **then** $(sk_i, pk_i, cert_i) \leftarrow \mathsf{KG}_{\mathcal{C}}(1^n)$ **fi**
  if $i \in \mathcal{S}$ **then** $(sk_i, pk_i, cert_i) \leftarrow \mathsf{KG}_{\mathcal{S}}(1^n)$ **fi**
endforeach
$pks \leftarrow \{(pk_i, cert_i) \mid i \in \mathcal{C} \cup \mathcal{S}\}$
$a \leftarrow \mathcal{A}^{\textsc{Init}(\cdot,\cdot),\textsc{Send}(\cdot,\cdot),\textsc{Corrupt}(\cdot),\textsc{Chall}(b,\cdots)}(1^n, pks)$
return $a = b$

Fig. 6. Transaction privacy experiment

Theorem 2 (Transaction Privacy of the eIDAS transaction system). *The eIDAS transaction system provides transaction privacy. More precisely, for any efficient adversary $\mathcal{A}$ making at most Q challenge queries there exists an efficient adversary $\mathcal{B}$ such that*

$$\text{Prob}\left[\mathsf{TPriv}_{\mathcal{A}}^{\mathcal{TS}}(n) = 1\right] \leq \tfrac{1}{2} + Q \cdot \boldsymbol{Adv}_{\mathcal{B},\mathsf{H}}^{hide}(n).$$

Moreover, the running time of $\mathcal{B}$ is essentially the one of $\mathcal{A}$, plus the time to execute the other steps of the privacy experiment.

Proof. Each call of $\mathcal{A}$ to the CHALL oracle creates another fresh "commitment" of either the left or the right transaction. Then all parties work on the hashed value only. It follows that $\mathcal{A}$'s success probability is bounded by the probability of distinguishing at most Q left commitments from Q right commitments. Since a standard hybrid argument for commitments shows that such Q commitments (for adaptively chosen pairs) can only increase the distinguishing advantage compared to a single commitment by a factor Q, the claim now follows. □

5 Implementation

As mentioned before, the eIDAS transaction system has been successfully integrated in a test bed for the German identity card, involving the Reiner SCT cyberJack reader. Recall that the user places the card in (or near) the reader and initiates a service through the software on its computer. The software application then requests the user to verify the transaction data (see Figure 7). The transaction data is encoded into an admissible format for the auxiliary data of the eID service under an unused object identifier such that the card, upon receiving the data, authenticates them through the protocol but ignores its semantics. In contrast, the reader has been modified to interpret these data accordingly.

From the user's perspective the steps to authenticate transaction data integrate smoothly with the other eID steps (see Figure 8). In the first step, where

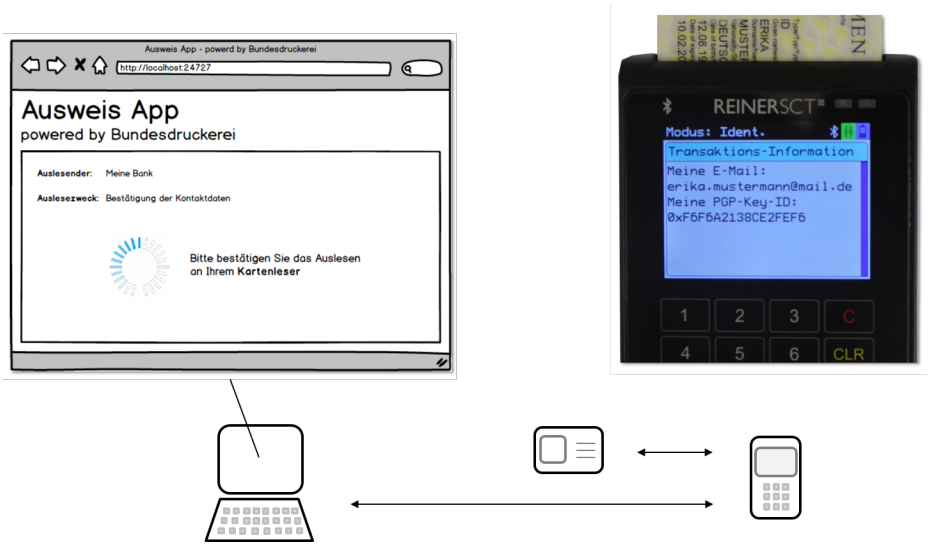

Fig. 7. Prototype implementation on a card reader. In this example the identity card has already been connected to the card reader, and the user is now asked via the (mock-up) software on the computer to authenticate the e-mail address and PGP fingerprint on the reader.

the regular eID system and the transaction system differ slightly, the user now checks the transaction data on the card reader, e.g., the mobile phone number in Figure 8. Then the user proceeds as for the regular eID service, confirming the card data the eID service can access (step 2 in Figure 8), and finally entering the card's PIN (step 3).

Overall, implementing the eIDAS transaction system requires minimal changes to the underlying system —only the reader's software needs to be adapted slightly— and to provide corresponding software applications.

6 Conclusion

The eIDAS transaction system is an easy and practical method to authenticate transactions via the eIDAS infrastructure. The work here demonstrates that, cryptographically, it also provides strong unforgeability guarantees, thwarting for example replay attacks. Furthermore, it also allows to hide the actual transaction data from the underyling infrastructure, again in a very strong sense.

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Fig. 8. Immigration of transaction verification (left) into data access confirmation (middle) and PIN entering (right) of eID service.

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